

The onboard optic flow algorithm uses the [temporal filtered Lucas Kanade method](#) . The presented implementation is focused on efficiency and uses integer arithmetic. The following pseudo-code illustrates the procedure:

P, n, pixel, GB, GBt=(0,0,0,0,0)

for x, y in P

gx = pixel[x+1,y] – pixel[x-1,y]

gy = pixel[x, y+1] – pixel[x, y-1]

gt = pixel[x, y] – pixel\_old[x, y]

GBt += (gx \* gx, gx \* gy, gy \* gy, gx \* gt, gy \* gt)

GB -= (GB(0) >> n, GB(1) >> n, GB(2) >> n, GB(3) >> n, GB(4) >> n)

GB += (GBt(0) >> n, GBt(1) >> n, GBt(2) >> n, GBt(3) >> n-1, GBt(4) >> n-1)

det = GB(0) \* GB(2) – GB(1) \* GB(1)

u = (GB(2)\*GB(3)-GB(1)\*GB(4))/det;

$$v = (GB(0)*GB(4)-GB(1)*GB(3))/det;$$

The sensor data for the current and previous time step is contained in *pixel* and *pixel\_old*, respectively.

*P*  
denotes the spatial integration patch and

*GB*  
contains the integrated values for

**G**  
and  
**B**

.

Since

**G**  
is symmetric it is sufficient to store 3 values for  
**G**

instead of 4. The multiplications required for the temporal filtering are implemented as bitwise shift operations ( $\gg n$ ) which limits the possible

$\alpha$   
values for the filter but improves performance.

Note that GB contains signed valued which requires an arithmetic shift with sign extension instead of a logic shift

. A shift value of 4 corresponds to a division by 16 (  
 $\alpha$

=  
0.0625). In the computation of the spatial gradients a divisor of 2 is omitted. These factors cancel out in the final solving step up to a factor of 2 for the temporal gradient which is accounted for in the integration step on line 8.

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